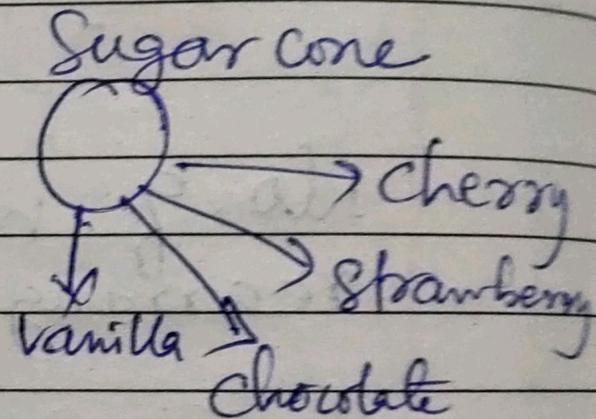
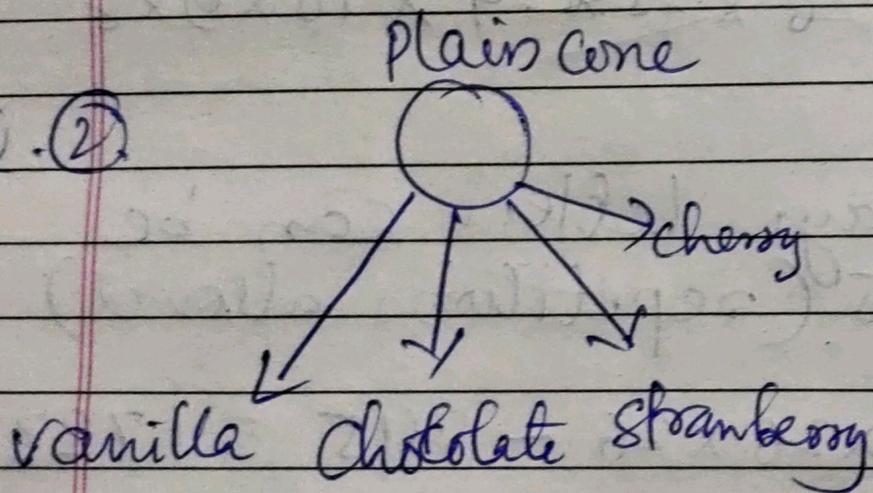


$$Q. 1) a) \frac{65!}{64! \times 5} = \frac{65 \times 64!}{64! \times 5}$$

$$= 13$$

$$b) \frac{71!}{72!} = \frac{71!}{72 \times 71!} = \frac{1}{72}$$

Q. 2)



There are total 8 choices from which a customer can select

Q. 3) a) Number of members = 12

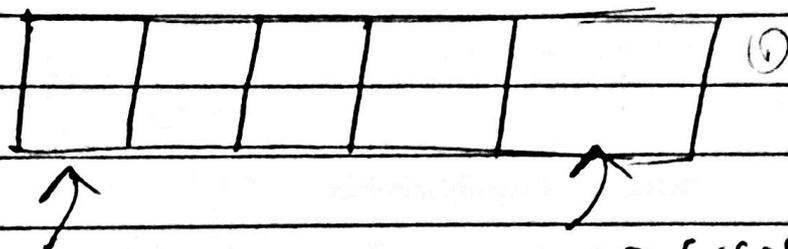
⇒ Number of ways the members could line up for a photo = $12!$

(6) The chairperson, treasurer & secretary can be chosen in

$${}^{12}C_3 \text{ ways}$$

(4) 2 3 0 5 4 1 6.

To For an odd number, the number must end with 1, 3, 5, 7, 9



All except 0.

possibilities \rightarrow 1, 3, 5.

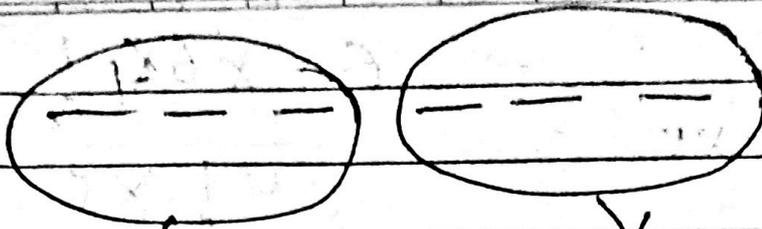
The unit place has 3 possibilities while the 1st digit must not be equal to zero.

\rightarrow No. of digits possible

$$= 5 \times 5 \times 4 \times 3 \times 3$$

$$= 900 \text{ A}$$

Q.5



letters

Total $\rightarrow 26$

digits.

total - 10

~~Total possible arrangements of without repetition~~
 ~~$= 26 \times 25 \times 24 \times 10 \times 9 \times 8$~~

No. of ways letters can be rearranged (repetitions allowed)

$$= 26 \times 26 \times 26 = 245 \times 26 = 17331$$

No. of ways digits can be arranged (repetitions allowed)

$$= 10 \times 10 \times 10 = 1000$$

Total possible arrangements

$$= 17331000$$

Q. (a) THURSDAY \rightarrow 8 letters

(a) No. of arrangements possible

$$= 8 \times 7 \times 6 \times 5 \times 4 \times 3 \times 2 \times 1$$

$$= 8! = 40,320.$$

(b) T & H must be side by side

\Rightarrow 

\Rightarrow Total arrangements =

TH can be considered as a single letter. Total letters = 7

$$\Rightarrow 7! \times 2! = 10,080.$$

(c) T - first Y - last

\Rightarrow T - - - - - Y.

$$\Rightarrow \text{arrangements possible} = \frac{6!}{2!} = 720.$$

7. Permutations of word

FANTASIA

Total 8 words.

$$2 \times \frac{8!}{3!} = 6720$$

3!



A repeated 3 times.